

A Study of the Region Covariance Descriptor

Impact of Feature Selection and Image Transformations

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INTRODUCTION

A modern computer vision pipeline for generic image classification and recognition consists of three broad conceptual steps:

- selecting suitable (region covariance descriptors)
- defining a measure of similarity between feature descriptor (distance between covariance matrices)
- learning a classification rule that uses the feature descriptors and corresponding similarity measure to determine what the image represents

MOTIVATION

- Region covariance descriptor has proven to be useful in numerous computer vision applications.
- The properties of the descriptor are not well understood or documented.

REGION COVARIANCE DESCRIPTOR

- Ω image
- x spatial coordinates of a pixel in image
- R rectangular region of interest in image
- $\phi: \Omega \rightarrow \mathbb{R}^n$ mapping from pixels to length- n feature vectors
- A_R n -by- n covariance matrix








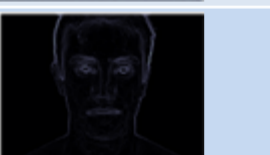






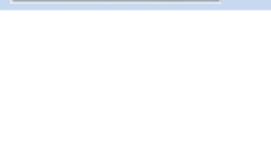

$$A_R = \frac{1}{|R| - 1} \sum_{x \in R} (\phi(x) - \mu_R)(\phi(x) - \mu_R)^T$$

$$\mu_R = \frac{1}{|R|} \sum_{x \in R} \phi(x)$$

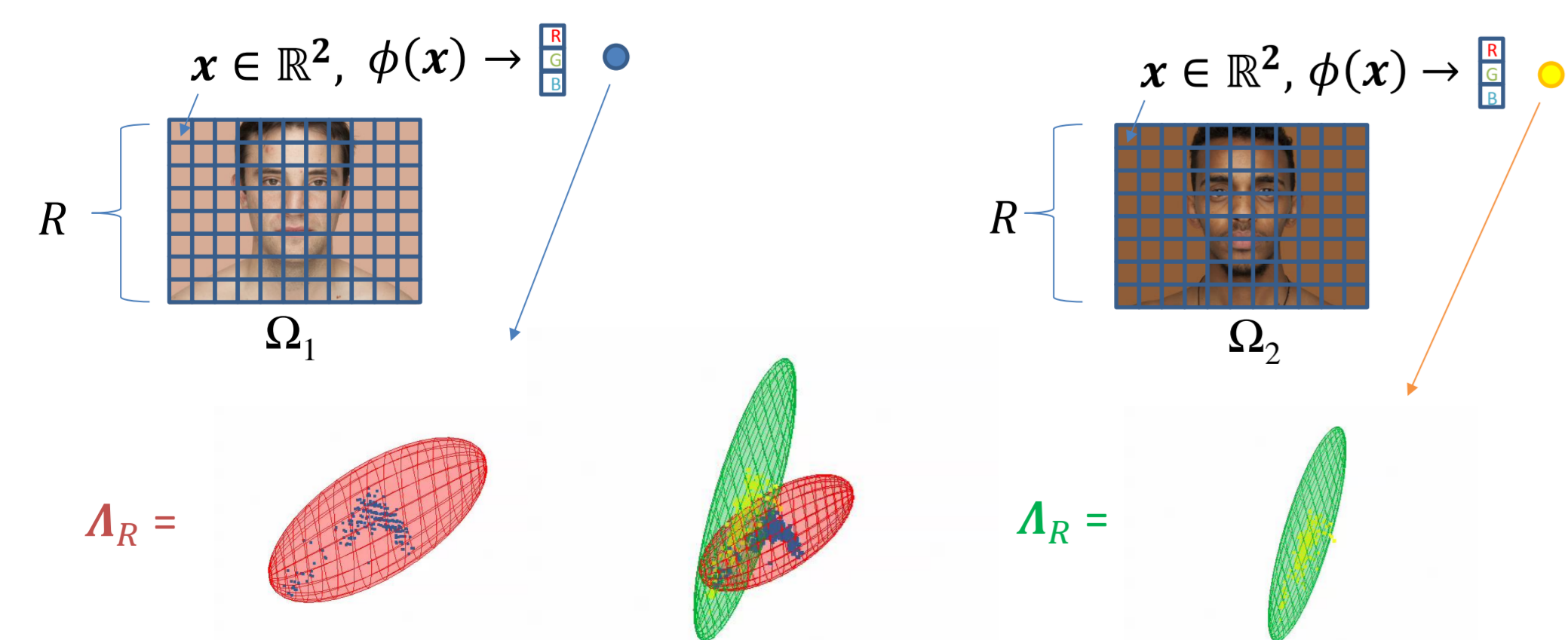
mean feature

$|R|$ number of pixels in R

FEATURE MAPPINGS

	spatial x coordinate		magnitude of second-order partial derivative in horizontal direction
	spatial y coordinate		magnitude of second-order partial derivative in vertical direction
	red channel		magnitude of second-order mixed partial derivative
	green channel		magnitude of edge response
	blue channel		edge orientation
	magnitude of first-order partial derivative in horizontal direction		luminance (LAB colour space)
	magnitude of first-order partial derivative in vertical direction		a channel (LAB colour space)
			b channel (LAB colour space)

REGION COVARIANCE DESCRIPTOR EXAMPLE

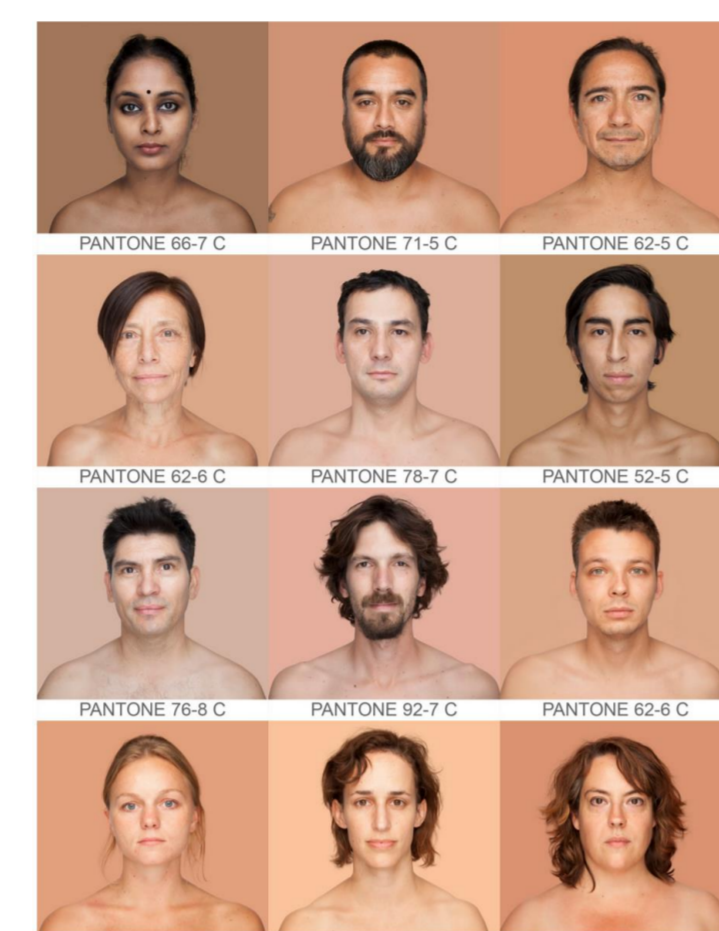


$$dist(\Omega_1, \Omega_2) \triangleq dist(A_R, A_R)$$

How do features and distance measures influence the similarity between two images?

DATASET

Humanae @ Angelica Dass

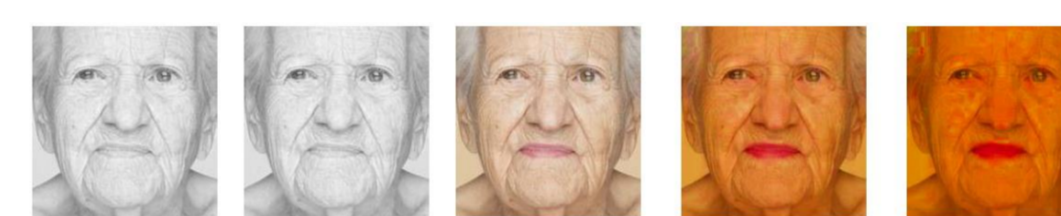


- Diverse images of human faces 500 x 500 pixels
- Processing by centering all images on the nose and cropping to 319 x 319 pixels

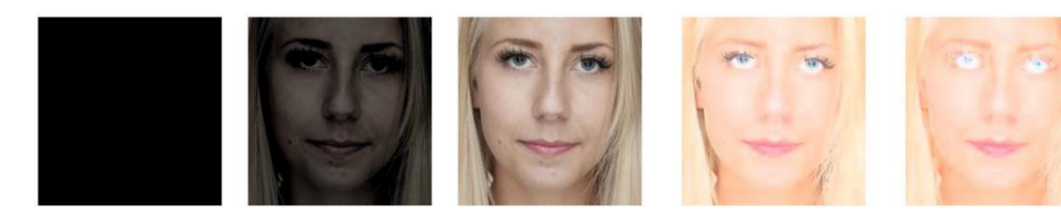


TRANSFORMATIONS

saturation



brightness



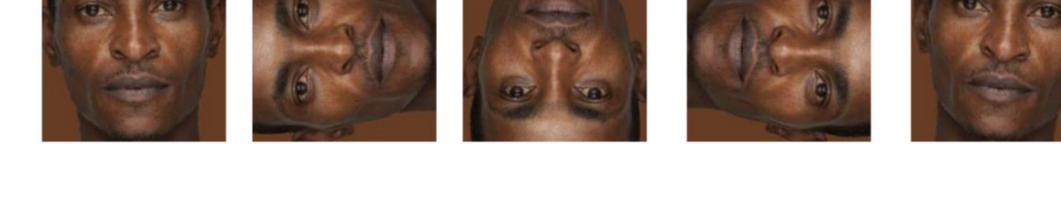
blur



noise

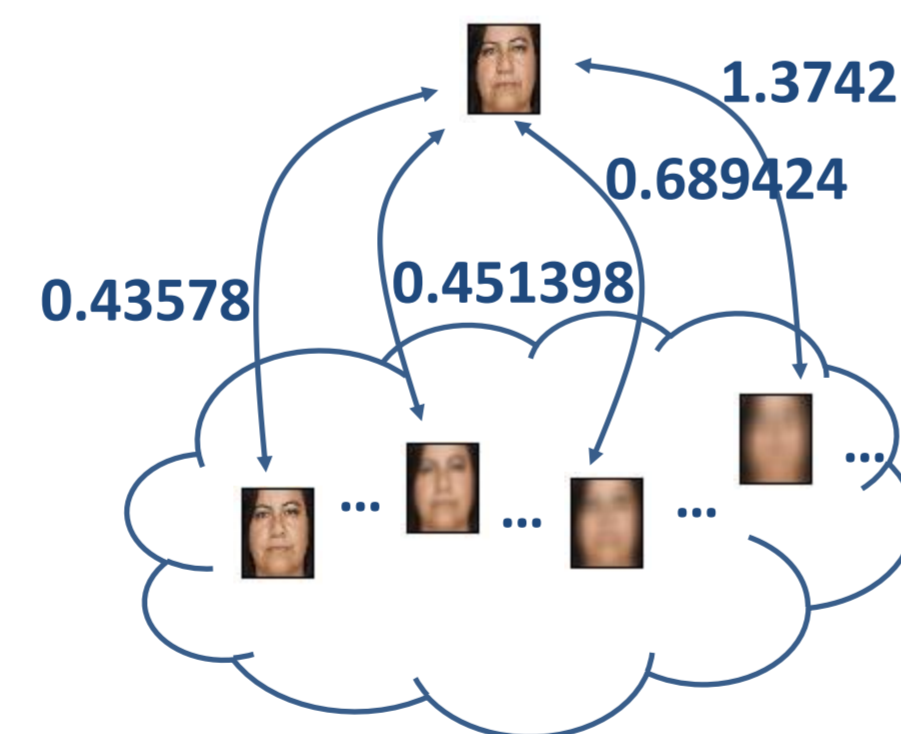


rotation



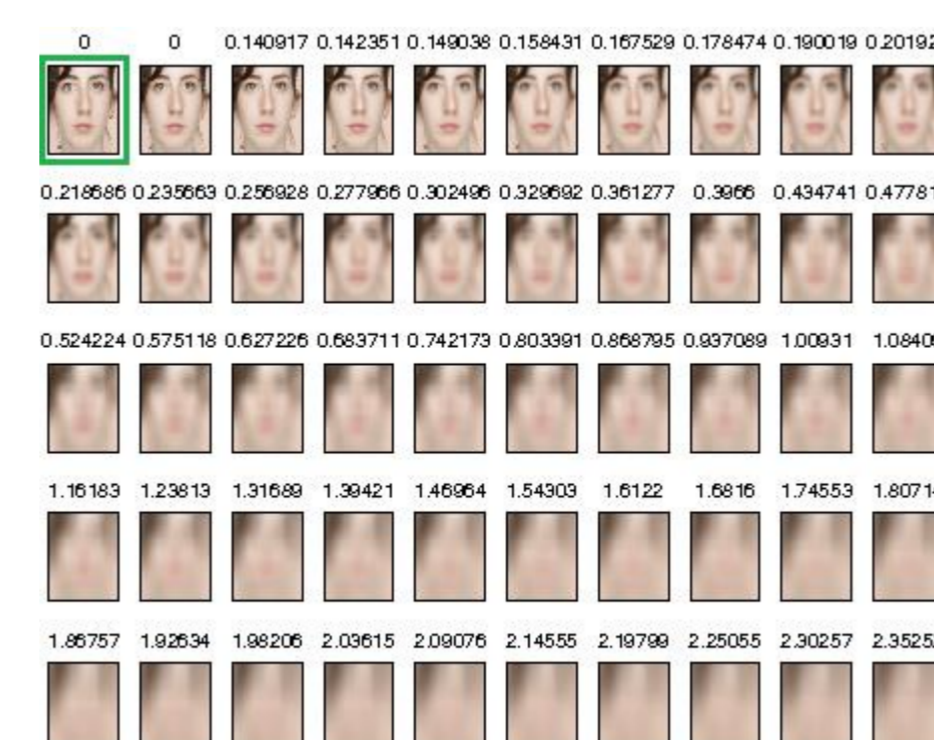
EXPERIMENTS

within: comparable set \triangleq transformed base images among: comparable set \triangleq transformed base images + entire dataset



RESULTS

Features: x, y, r, g, b
Distance: Euclidean
Transform: Blur



Features: Same
Distance: Same
Transform: Same



Features: x, y, r, g, b, l, a, b
Distance: Euclidean
Transform: Blur



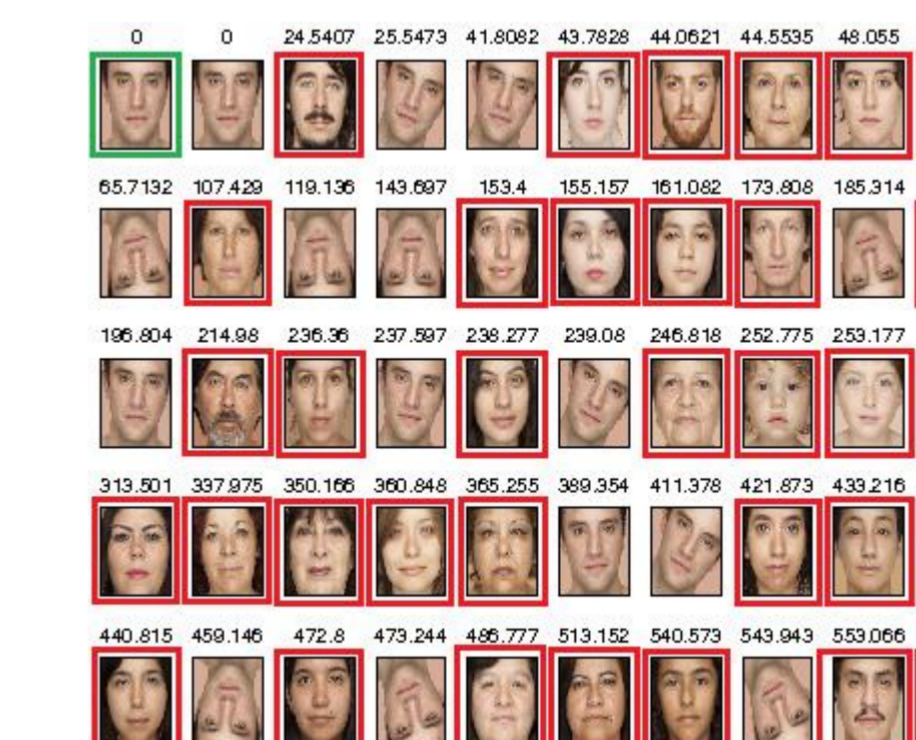
Features: x, y, r, g, b
Distance: Euclidean
Transform: Blur



Features: x, y, r, g, b
Distance: Euclidean
Transform: Blur



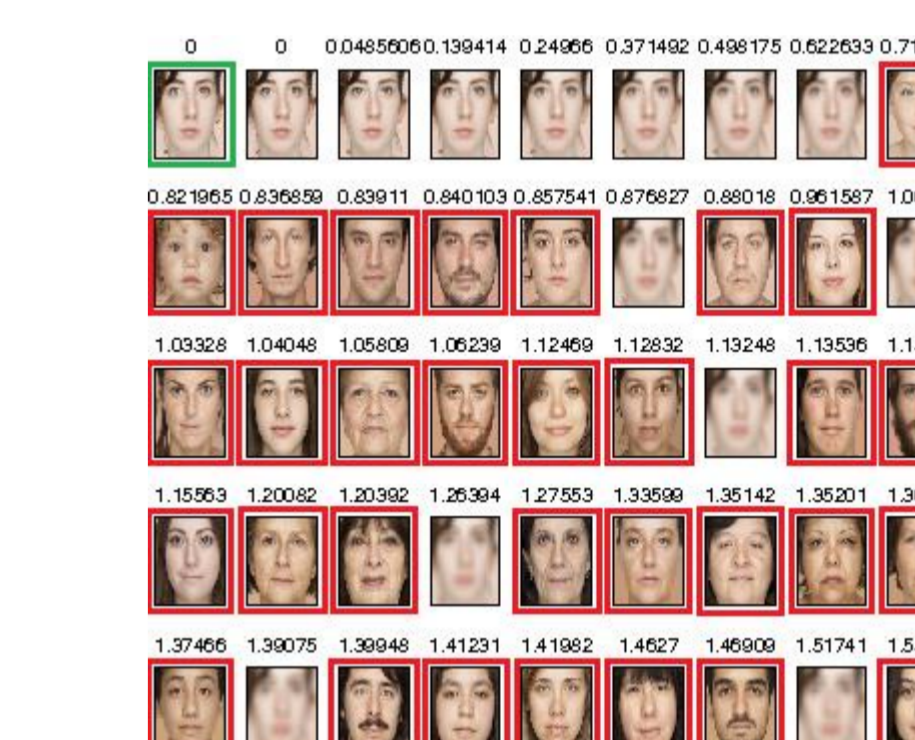
Features: $|I_{xx}|, |I_{yy}|, |I_{xy}|, \sqrt{I_x^2 + I_y^2}, \tan^{-1}(\frac{I_{xy}}{I_x I_y})$
Distance: Euclidean
Transform: Rotation



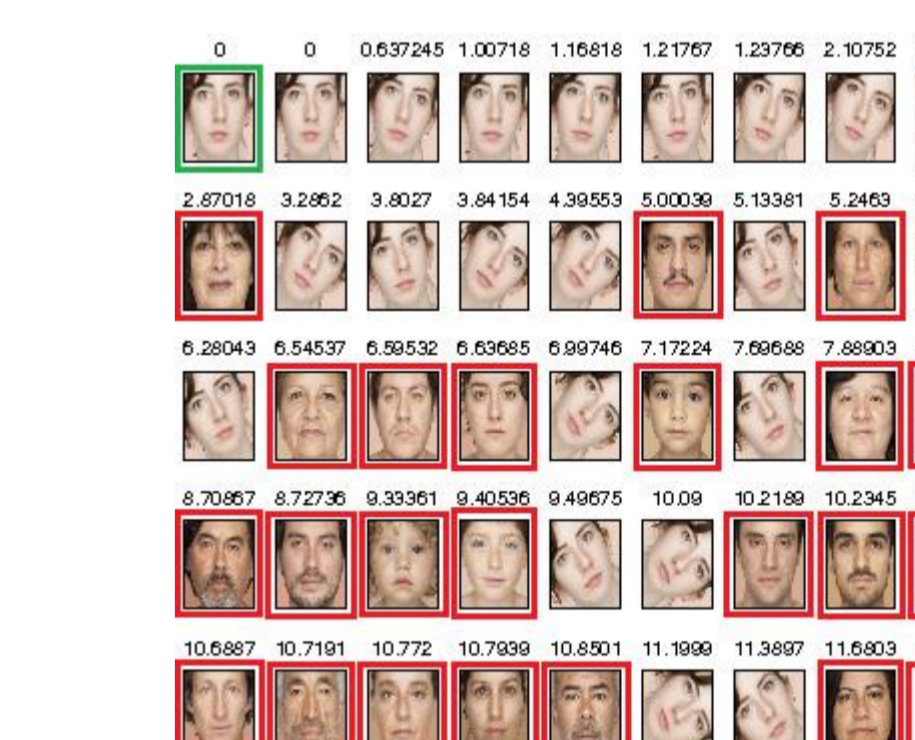
Features: $x, y, r, g, b, \sqrt{I_x^2 + I_y^2}, \tan^{-1}(\frac{I_{xy}}{I_x I_y}), l, a, b$
Distance: Same
Transform: Same



Features: Same
Distance: Log-Euclidean
Transform: Same



Features: Same
Distance: Same
Transform: Rotation



Features: Same
Distance: Affine-invariant
Transform: Same



DISCUSSION

- No distance measure works best in all situations.
- Inclusion or exclusion of a single feature can have a dramatic impact.
- Selection of features must be guided by extensive empirical analysis.
- Excellent retrieval performance observed for the $dist_E$ measure for Gaussian noise and blur transformations when the position feature (xy) was combined with a colour feature (rgb or lab).